

### **Subtract Mixed Numbers**

Students have performed addition and subtraction with fractions, and they have added mixed numbers. They round out their experience with these concepts by learning to subtract with mixed numbers. The number sense that students build in these activities will serve them when they multiply with fractions.

### **Vocabulary/ELL Support**

Write the following problem on the board: Paula makes 2 peanut butter sandwiches and cuts each one into fourths. She eats 3 pieces. How much does Paula have left?

Give students two squares of construction paper.

- **Ask:** How can you model this problem using the paper? [Sample: Cut each square into fourths; remove  $\frac{3}{4}$  from one.]
- **Ask:** How much does Paula have left?  $\left[\frac{5}{4}, \text{ or } 1\frac{1}{4}\right]$

Elicit from students the two different ways of expressing the answer. Note that because  $1\frac{1}{4}$  is a combination, or mix, of a whole number with a fraction, the number is called a **mixed number**.

A mixed number (such as 2<sup>3</sup>/<sub>4</sub>) has a whole-number part (2) and a fraction part (<sup>3</sup>/<sub>4</sub>); it represents the sum of the parts.

The scale on this ship indicates the ship's *draft*, the depth to which the ship's hull extends below the water's surface. How would you compute a change in the ship's draft?

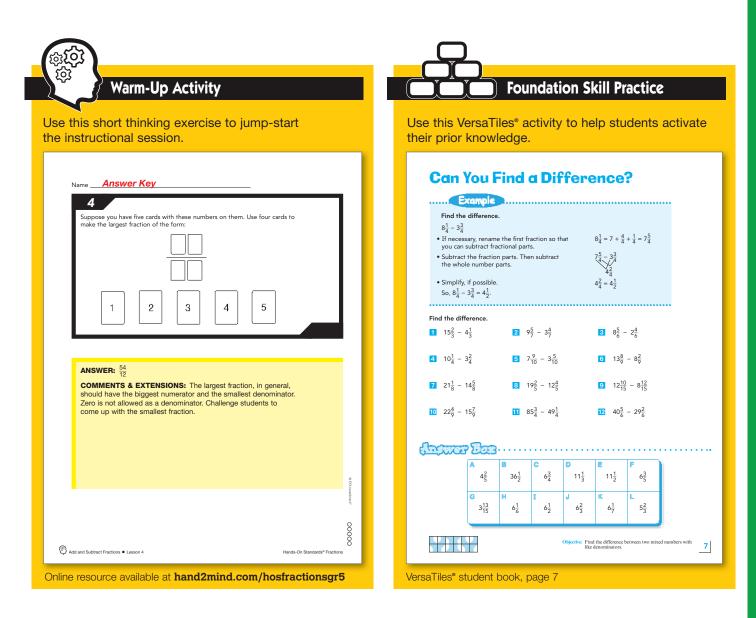


#### Build Background WHOLE CLASS

Distribute 11 x 17-inch paper and markers to groups of students. Assign each group a different mixed number.

Ask students to write different ways of representing their mixed number using number sentences. For example, for  $2\frac{3}{5}$ , the students could write  $2 + \frac{3}{5}$  or  $2 + \frac{1}{5} + \frac{1}{5} + \frac{1}{5}$ . Then, have students draw visual representations of their number sentences, such as shading circles divided into fifths. Have students locate their mixed number on a number line.

Ask: Why is it important to know different ways of representing mixed numbers? [Sample: Knowing what mixed numbers represent helps us add or subtract their parts to find sums or differences.]



## THE Concept

#### Model the Activity WHOLE CLASS

Distribute Fraction Tower Equivalency Cubes, Fraction Number Lines (Number 3, the blank line), and dry erase markers. Have students work along with you in small groups as you model the lesson.

Write  $1\frac{1}{2} - 1\frac{1}{3} =$ \_\_\_\_\_ on the board.

Ask: How do you rename these mixed numbers as fractions?  $[1\frac{1}{2} = \frac{3}{2}, 1\frac{1}{3} = \frac{4}{3}]$ 

To model  $\frac{3}{2}$ , build a tower using three pink fraction tower pieces. To model  $\frac{4}{3}$ , use four orange tower pieces.

Locate  $\frac{3}{2}$  on the number line using the pink tower. Mark and label 0,  $\frac{1}{2}$ , 1, and  $\frac{3}{2}$ .

- **Say:** We need to subtract  $\frac{4}{3}$  from  $\frac{3}{2}$ . It helps to have common denominators.
- Ask: What is a good common denominator? [6] Why? How many sixths are in  $\frac{3}{2}$ ? [9]

Have students build a  $\frac{9}{6}$  tower using teal fraction tower pieces and lay it on the blank Fraction Number Line to show that  $\frac{9}{6}$  equals  $\frac{3}{2}$ . Have them trace the tower (using the dry erase marker) and draw the sixths.

- Say: Now let's subtract  $\frac{4}{3}$ .
- **Ask:** How many sixths are in  $\frac{4}{3}$ ? [8]

Students can compare an 8-piece teal tower to the 4-piece orange tower to confirm. Have students cross out 8 of the sixths they drew on their number lines.

**Ask:** What is the difference?  $\left[\frac{1}{6}\right]$ 

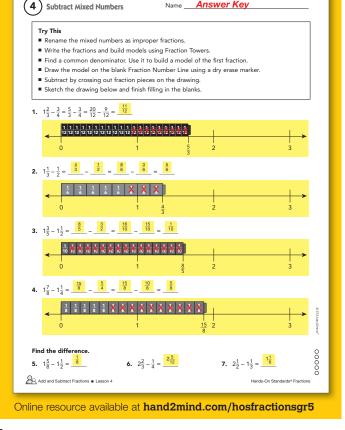
#### Guided Practice SMALL GROUPS

Prepare ahead Each small group will need two sets of Fraction Tower Equivalency Cubes, a Fraction Number Line (Number 3, the blank line), and a dry erase marker.

Students model subtraction with mixed numbers on the blank Fraction Number Line. They rename the mixed numbers as improper fractions and find a common denominator. They model and draw the minuend (renamed using the common denominator) on the number line. Students find the difference by removing (crossing out) the number of fraction pieces indicated by the subtrahend.

#### Materials

- Fraction Tower<sup>®</sup> Equivalency Cubes
- Fraction Number Lines (Number 3, the blank line)
- dry erase markers
- squares of construction paper
- 11 x 17-inch paper, dry erase markers



**Guided Practice** 

Answer Key

# Remore the Concept

#### Check for Understanding

#### WHOLE CLASS

Ask: What if the number you're subtracting is just a fraction less than 1, not a mixed number? Does that change the way you do the problem? If so, how? [Sample: It doesn't change the way I do the problem. The only difference is I don't need to rename the number except to write it with a common denominator, if necessary.]

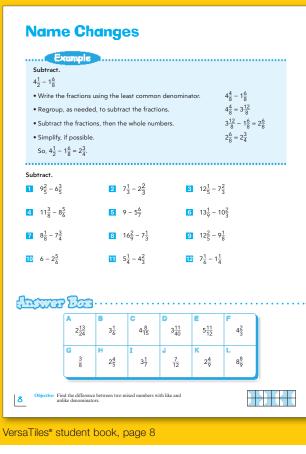
#### Summarize WHOLE CLASS

Ask: How is subtracting with mixed numbers the same as subtracting with fractions? [Sample: Both involve subtracting fractional parts.]

Review with students what they did in the activity. Have them describe in writing what they know about subtracting with mixed numbers.



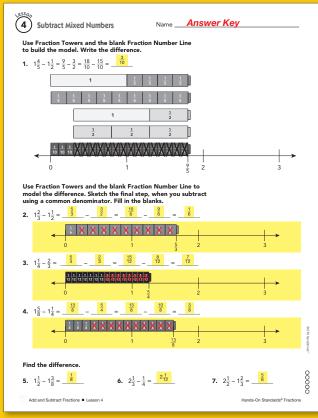
Use this VersaTiles<sup>®</sup> activity to give students more practice with the skills they learned in the lesson.



Remedi

Remediation

### Use this page to give students additional concrete-to-abstract practice.



Online resource available at hand2mind.com/hosfractionsgr5